

Mandoline: Model Evaluation under Distribution Shift

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Motivation

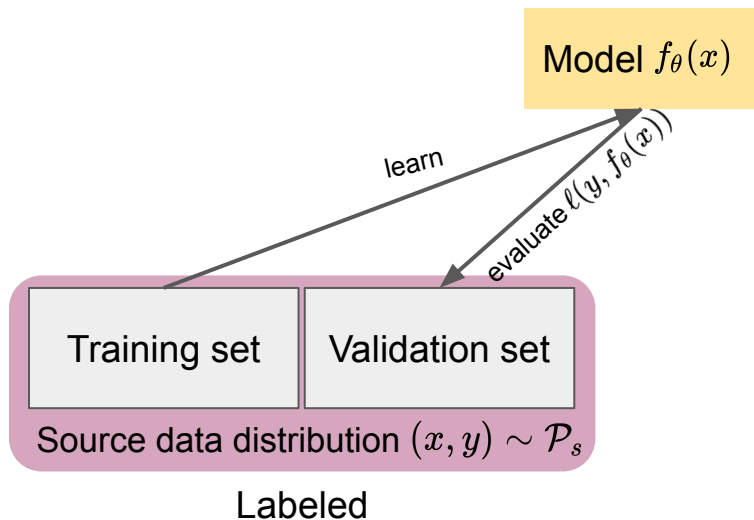
Q: How do we **evaluate** model performance during deployment?

- Model's deployment setting \neq training setting

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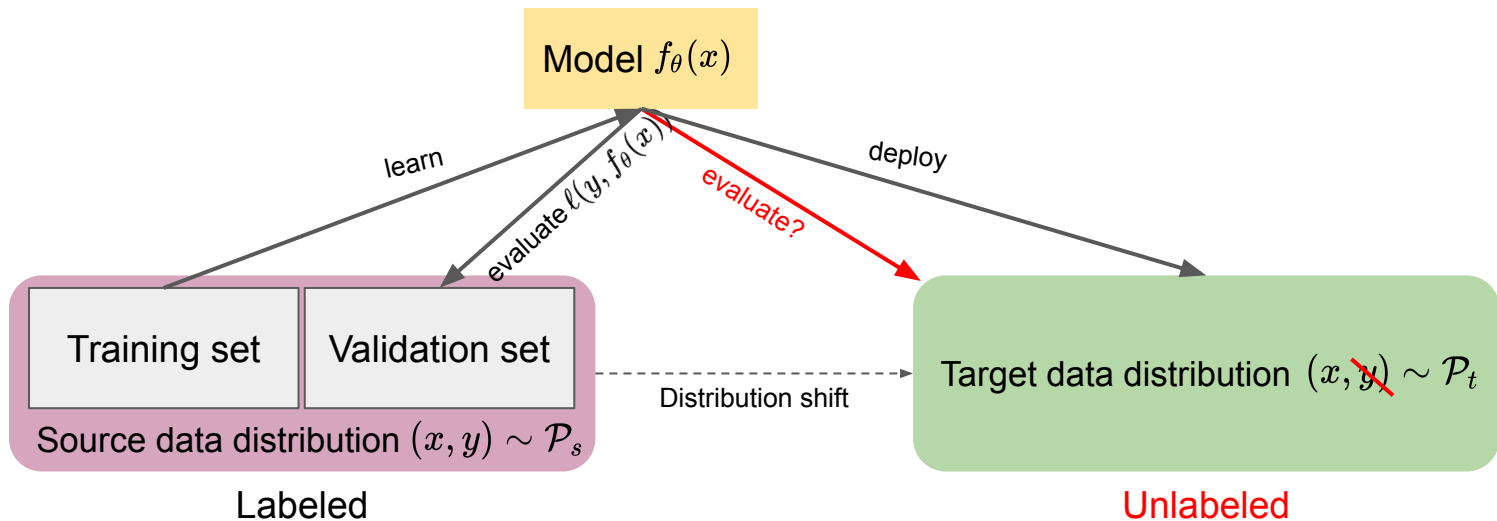
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Motivation

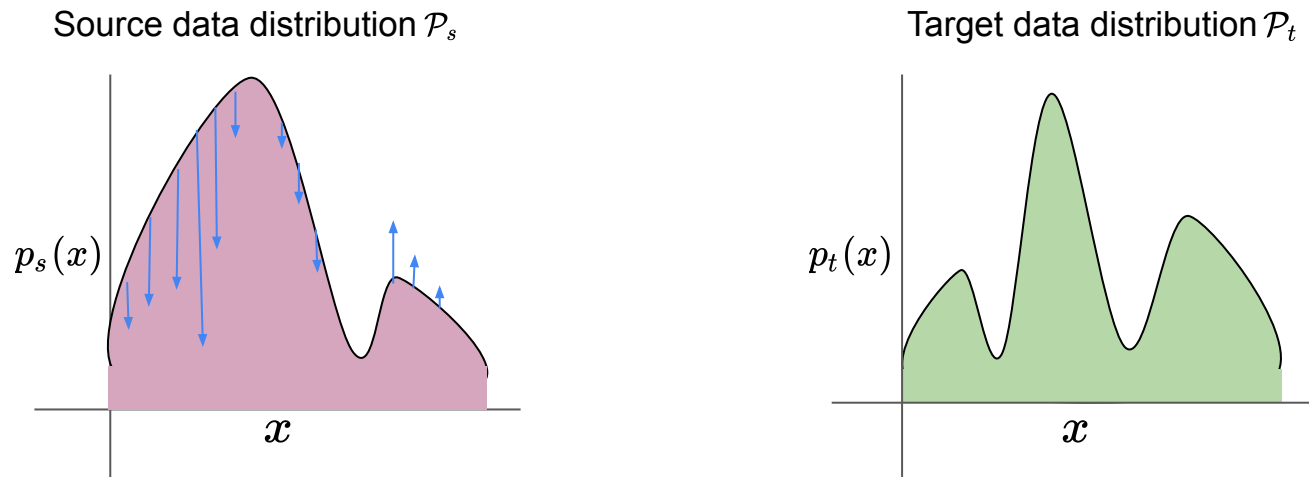
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Mandoline: user-guided framework for evaluation under distribution shift

Common approach: importance weighting



$$\mathbb{E}_t[\ell(y, f_\theta(x))] = \mathbb{E}_s\left[\frac{p_t(x)}{p_s(x)} \ell(y, f_\theta(x))\right] \approx \frac{1}{n} \sum_{i=1}^n \boxed{\frac{p_t(x_i)}{p_s(x_i)}} \ell(y_i, f_\theta(x_i))$$

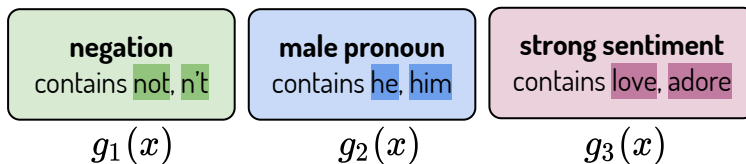
Density ratio

Problems:

- Support shift - what if $p_s(x) = 0, p_t(x) \neq 0$?
- High dimensional data $x \in \mathbb{R}^d$: harder to compute $\frac{p_t(x)}{p_s(x)}$

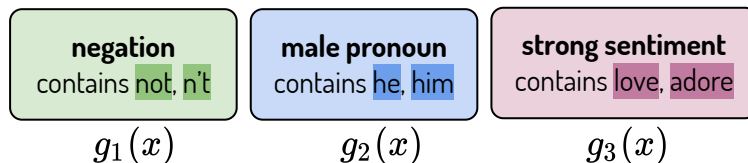
Mandoline: Slice-based reweighting framework

Slice: user-defined grouping of data $g(x) \in \{-1, 1\}$



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(Source) Labeled Validation Set	Slices			Model
I love eating ice-cream.	-1	-1	1	✓
He loved walking on the beach.	-1	1	1	✓
He didn't like drinking coffee.	1	1	-1	✗

⋮

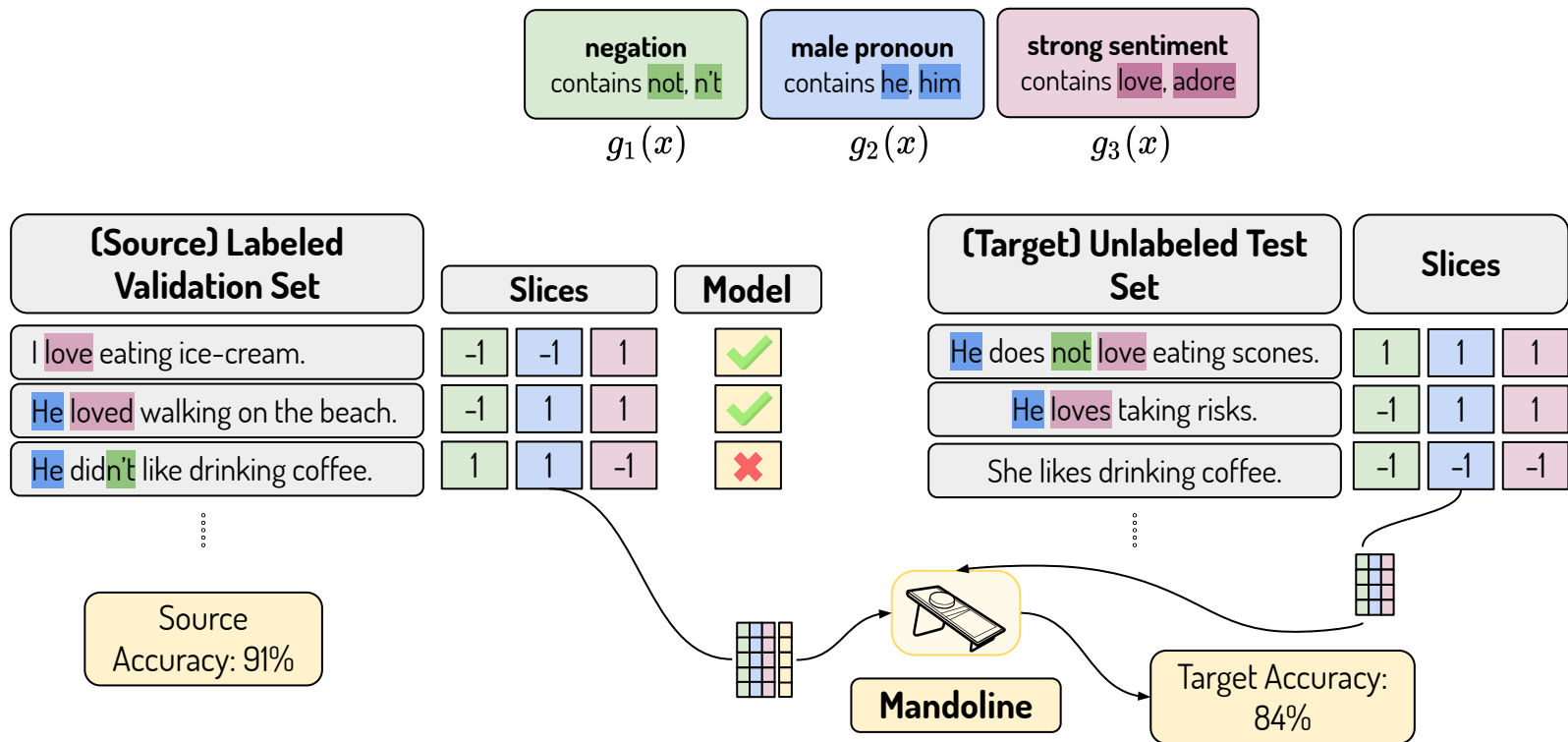
Source
Accuracy: 91%

(Target) Unlabeled Test Set	Slices		
He does not love eating scones.	1	1	1
He loves taking risks.	-1	1	1
She likes drinking coffee.	-1	-1	-1

⋮

Mandoline: Slice-based reweighting framework

Slice: user-defined grouping of data $g(x) \in \{-1, 1\}$



Results

Prop 1: if the slices $g = \{g_1, \dots, g_k\}$ capture *all “relevant” distributional shift* between \mathcal{P}_s and \mathcal{P}_t , then reweighting with $\frac{p_t(g(x))}{p_s(g(x))}$ recovers $\mathbb{E}_t[\ell(y, f_\theta(x))]$.

- If support shift occurs on irrelevant slices (i.e. slices independent of Y), it can be corrected!
- Dimensionality: reduce from $d \rightarrow k$
- How to compute $\frac{p_t(g(x))}{p_s(g(x))}$? Use any density ratio estimation method on $g(x)$
 - **Kullback-Leibler Importance Estimation Procedure (KLIEP)**
 - Can modify to correct for noisily defined slices

Results

Task	Task Labels	Distribution Shift	Slices
CELEBA <i>image classification</i>	<i>male</i> <i>vs. female</i>	↑ blurry images	METADATA LABELS <i>blurry / not blurry</i>
SNLI→MNLI <i>natural language</i> <i>inference</i>	<i>entailment, neutral</i> <i>or contradiction</i>	single-genre → multi-genre examples	PROGRAMMATIC <i>task model predictions,</i> <i>task model entropy</i>

AVERAGE ESTIMATION ERROR (%)		
METHOD	CELEBA	
	RESNET18	RESNET50
SOURCE	1.96%	1.74%
CBIW	0.54%	0.52%
KMM	1.78%	1.67%
MANDOLINE	0.14%	0.10%

CelebA

Importance
weighting on x
On $g(x)$

METHOD	STANDARD ACCURACY	
	AVG. ERROR	MAX. ERROR
SOURCE	6.2% ± 3.8%	15.6%
CBIW	5.5% ± 4.5%	17.9%
KMM	5.7% ± 3.6%	14.6%
MANDOLINE	3.6% ± 1.6%	5.9%

SNLI → MNLI

Future directions

Slice design

- Mandoline relies on sufficient g to capture all axes along which the distribution shift occurs
- How to construct g ?
 - Users write them using domain knowledge
 - Metadata
 - Model-based (threshold based on entropy)
 - Algorithmically (subset selection, check independence)

A new way of thinking about evaluation under distribution shift: from improving methods to developing ***better slices***

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